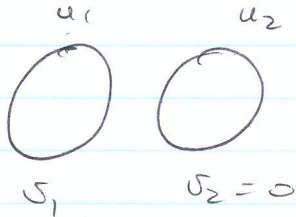


H, 30, 5
 (a)



for any e
 So show, that \vec{u}_1 and \vec{u}_2 are opposite dir^{n's}

L.C.M \Rightarrow

$$u_1 + u_2 = v_1$$

N.L.R \Rightarrow

$$v_2 - v_1 = -e(u_2 - u_1)$$

$$\Rightarrow -v_1 = -e(u_2 - u_1)$$

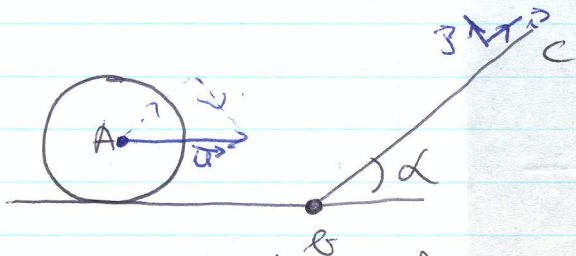
$$\Rightarrow v_1 = e(u_2 - u_1)$$

$$\Rightarrow u_1 + u_2 = e(u_2 - u_1)$$

$$\Rightarrow u_2(1-e) = -(1+e)u_1$$

since $0 < e < 1$ in order for the last statement to be correct u_2 and u_1 would have to be different in sign, i.e. before collision the spheres would have to be going in opposite directions.

(b)



Let \vec{i} be \parallel to bc
 \vec{j} be \perp to bc

Before impact relative to the plane the velocity of A is.

$$\vec{u} = u \cos \alpha \vec{i} - u \sin \alpha \vec{j}$$

as we can ignore \vec{i} cpts as they don't change as a result of the collision, we consider only components \perp to the plane.

$$N.L.R \Rightarrow -e(-u \sin \alpha, -0) = v_A$$

where v_A is velocity of sphere \perp to plane after collision.

$$\therefore v_A = e u \sin \alpha \quad \text{q.e.d.}$$

$\therefore I =$ Change in momentum,

$$= m(-u \sin \alpha - e u \sin \alpha)$$

$$\underline{I = -m u \sin \alpha (1+e)}$$

$$|\underline{I}| = m u \sin \alpha (1+e)$$